

Ontology decomposition process based on structural dependencies among concepts

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Introduction

- An increased interest on modularization
 - Obtain the necessary knowledge
- Reuse, scalability, maintenance
- The increasing awareness of the benefits of ontologies in open and weakly structured environments – creation of ontologies for real world domains – complex domains (medicine) contain thousands of concepts – new issues

New issues

- Maintenance
 - Large ontologies cannot be created and maintained by a single person
 - Requires team of experts from different organizations
- Publication
 - Large ontologies are created to provide a standard model of the domain
 - Interest on a specific part of the overall domain
- Validation
 - The nature ontologies require a high degree of quality of the respective model
 - Validation by different experts – large ontologies – difficult to understand
- Processing
 - On a technical level – large ontologies – scalability problems

A definition of modularization

- Allows to understand a large ontology as a set of smaller parts – modules – the decomposition process
- Another view – composition process – connection of smaller parts to a larger ontology

Goals of modularization

- Scalability – two views
 - Scalability for a search knowledge
 - Scalability for an evolution and maintenance
- Understandability
 - Size of ontologies
 - Users of ontologies – human or an intelligent agent
 - Presentation form
- Reuse
 - Reuse of already generated modules

A definition of module

■ Module

- reusable component, which is self-contained, bears a relationship to other modules
- Is self-contained without references to other concepts
- As an object representing minimum set of axioms, which makes sense
- $M_i(O)$ – a set of axioms, $\text{Sig}(M_i(O)) \subseteq \text{Sig}(O)$
 - Partition of ontology to set of modules $\{M_1, \dots, M_k\}$
- $O = (C, R) \rightarrow O_M = (C_M, R_M)$
 - $C_M \neq \emptyset \wedge C_M \subseteq C$
 - $R_M \subseteq R$
 - $O_M \subseteq O$

Intuition

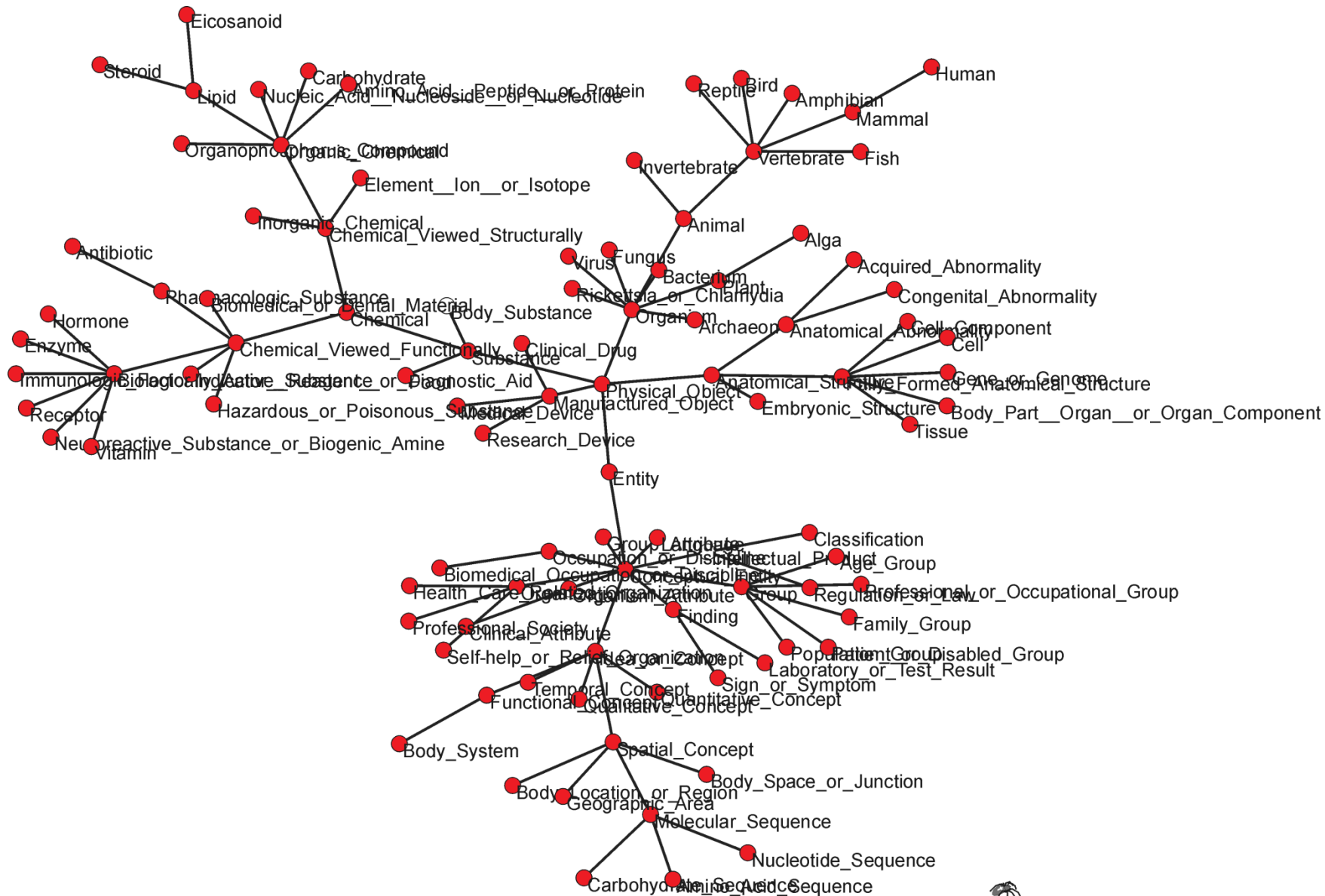
- Key question – assignment of concepts to modules
- Module – information about a subtopic – can stand for itself – concepts within module are semantically connected
- The resulting module – weighted graph $G=(C,D,w)$
- Dependencies
 - Reflected in definitions of O
 - Implied by the intuitive understanding of concepts and a background knowledge about domain
 - Different structures
 - Subclass relations between classes
 - Other relations (range, domain restrictions ...)

Partitioning method

- Decomposition of larger ontologies to smaller modules
- Consists of three steps
 1. Create ontology graph known as weighted or dependency – two tasks
 - Extraction ontology source file
 - Determine strength of relations
 2. Identification of modules
 - Determine concept Island
 3. Optimization of partition
 - Assign isolated concepts

Create dependency graph

- Create semantic network in which concepts are represented by nodes
- relations between concepts
- On the following figure – class hierarchy graph of the part of UMLS semantic network



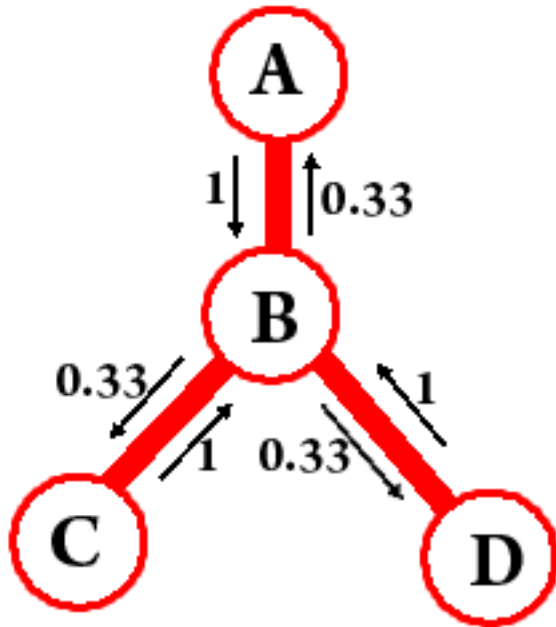
UMLS - Unified Medical Language System

- developed by the US National Library of Medicine (1986)
- integrates over 2 million names for some 900 000 concepts from more than 60 families of biomedical vocabularies
- Three parts
 1. Metathesaurus
 - Organized by meaning, it doesn't create ontology itself
 2. Semantic network
 - Provides semantic relationships among concepts
 3. Special Lexicon
 - contains syntactic, morphological and orthographic dictionary

Determine strength of relations

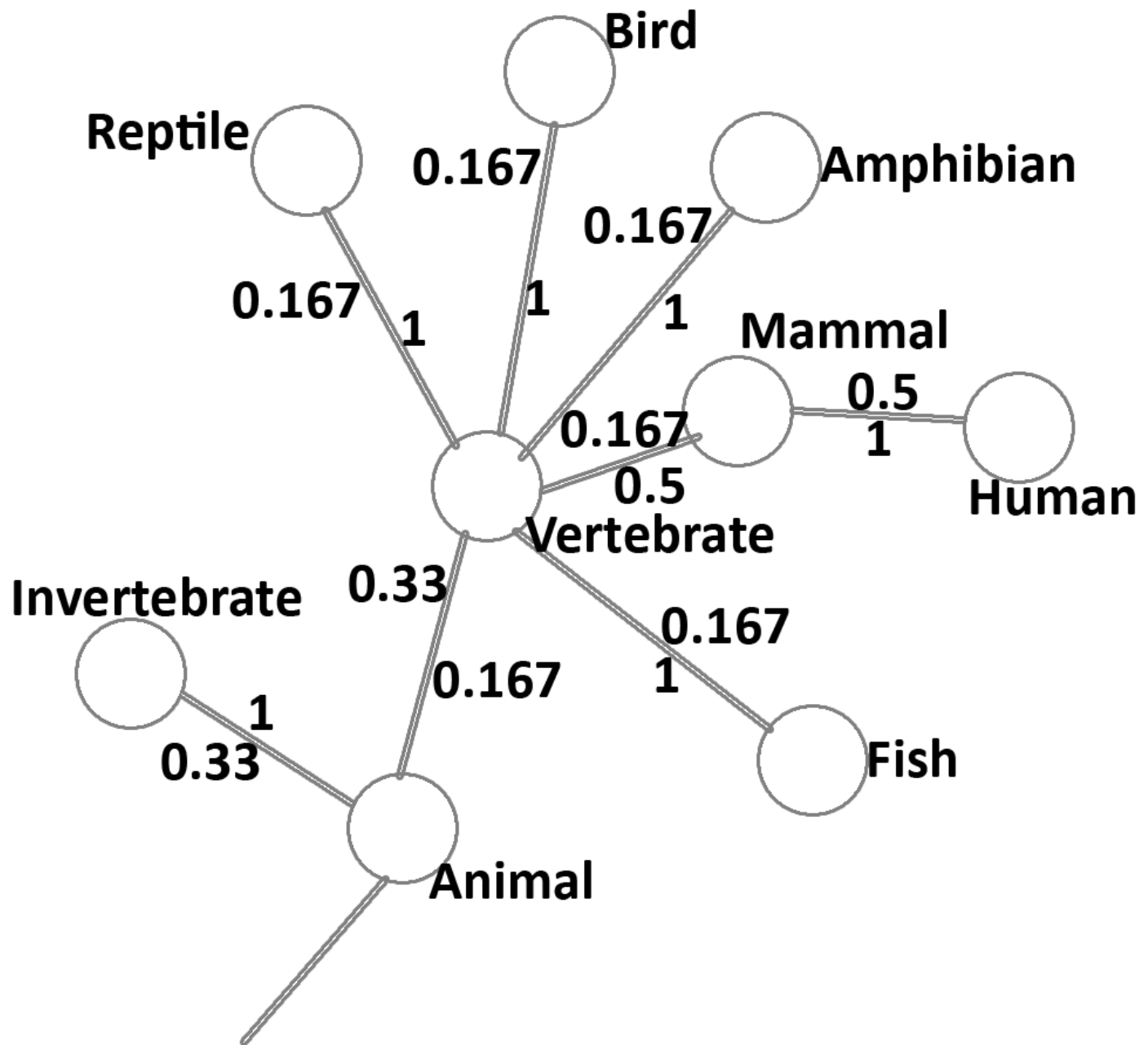
- The structure of dependency graph is used to determine strength among concepts (nodes)
- Using social network theory by computing the proportional strength
- p_{ij} of a connection between a node c_i and c_j – importance of a link from one node to other based on the number of connections a node has

General example of a proportional strength



- Four nodes A, B, C, D
- $A \rightarrow B$, $ps = 1$
 - A has one connection (B)
- $B \rightarrow A$, $ps = 0.33$
 - B has three connections (A,C,D)

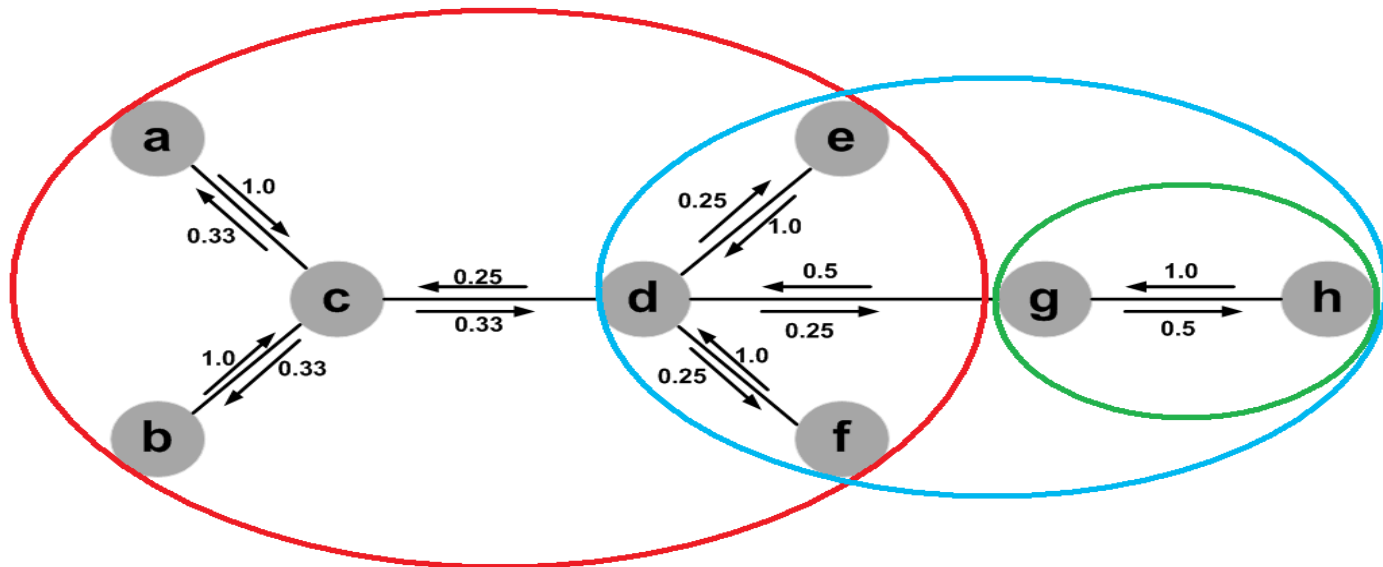
Therefore an asymmetric connection among concepts



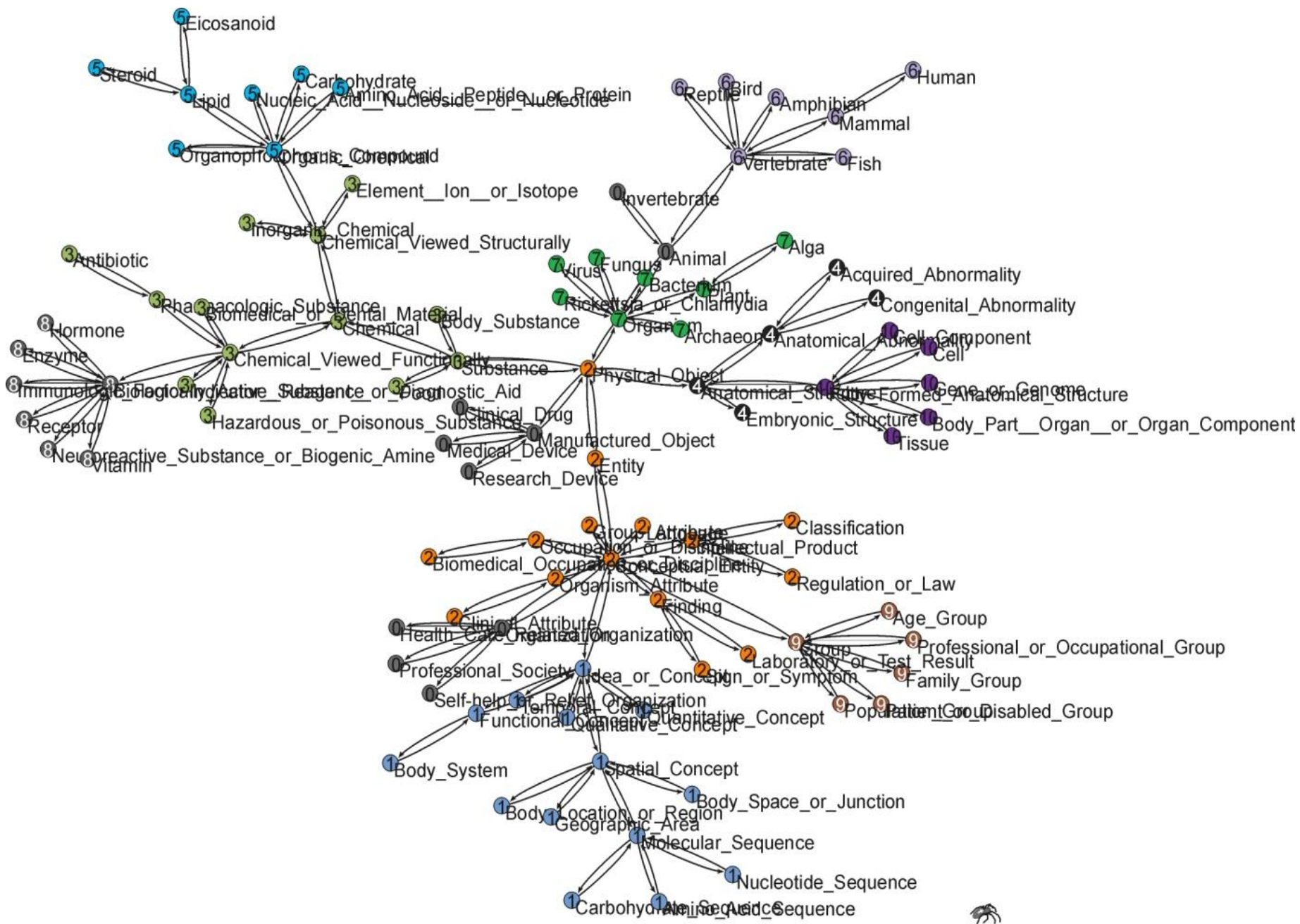
Identification of modules

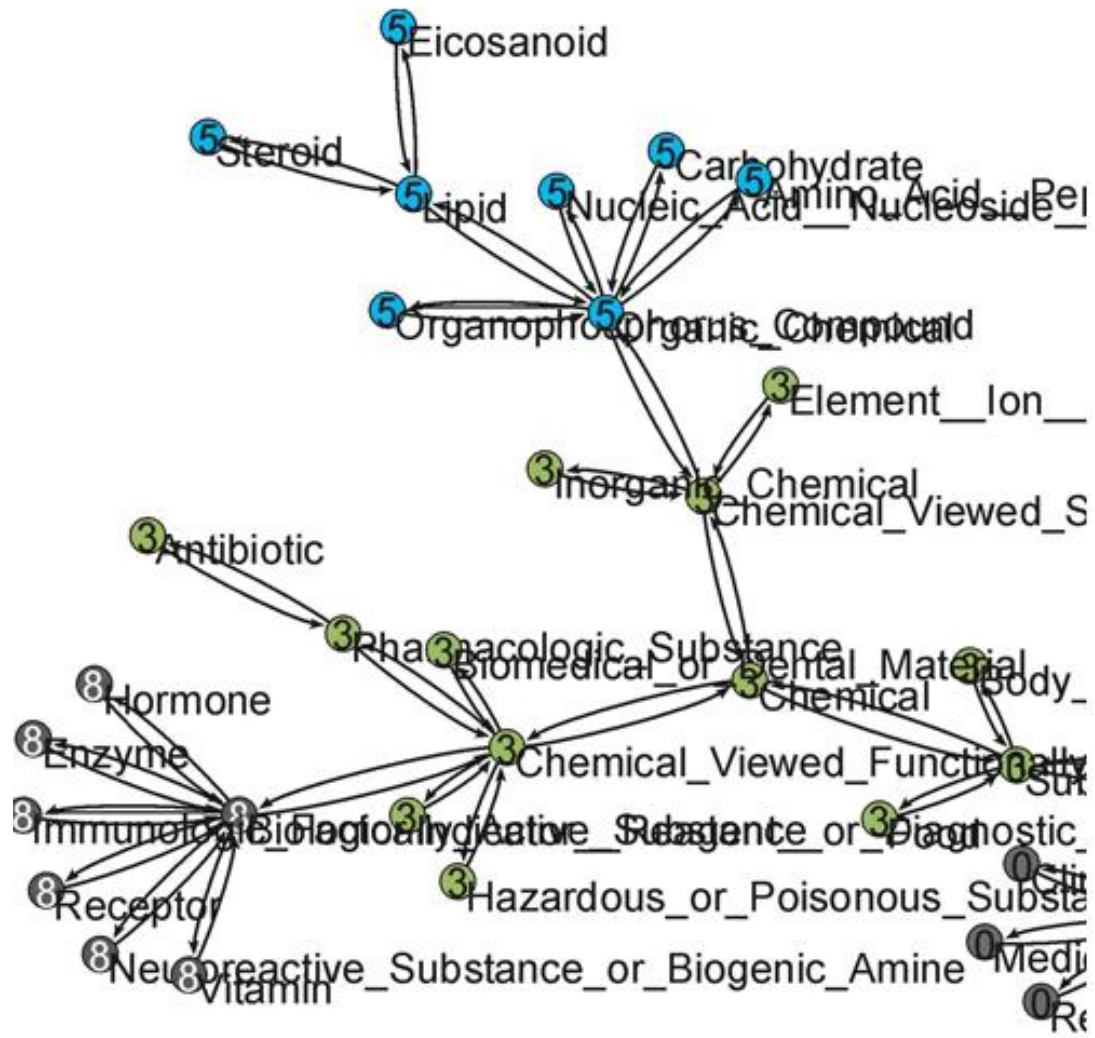
- Using the algorithm to compute all maximal Line Islands
- One Island represents One Module
- A set of vertices $I \subseteq C$ is a Line Island in dependency graph $G=(C,D,w)$ if and only if existing connected subgraph and lines inside the subgraph are more strongly related among them than with neighboring vertices – **Maximal Spanning tree T** – his weight is bigger than the weight of every other spanning tree
- It is necessary to determine the upper and lower bound – size of module

General description of Line Island

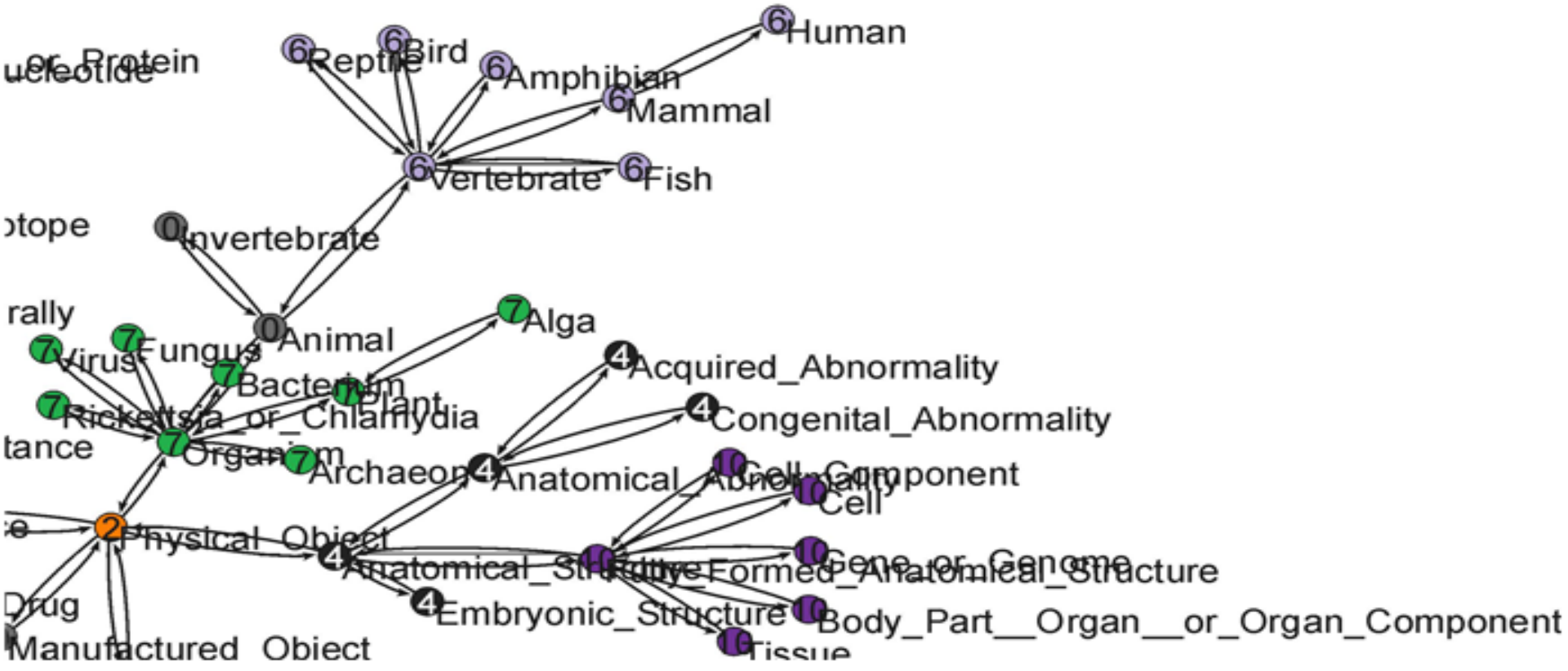


- Napr:
 - **{a,b,c,d,e,f}** – is not LI („Line Island“) - PS between c a d is 0.33 but between g a d 0.5, PS is bigger
 - **{g,h}** – is LI – maximal value of an input and output connection is 0.5 but this isn't the maximal spanning tree
 - **{d,e,f,g,h}** - LI with the maximal spanning tree



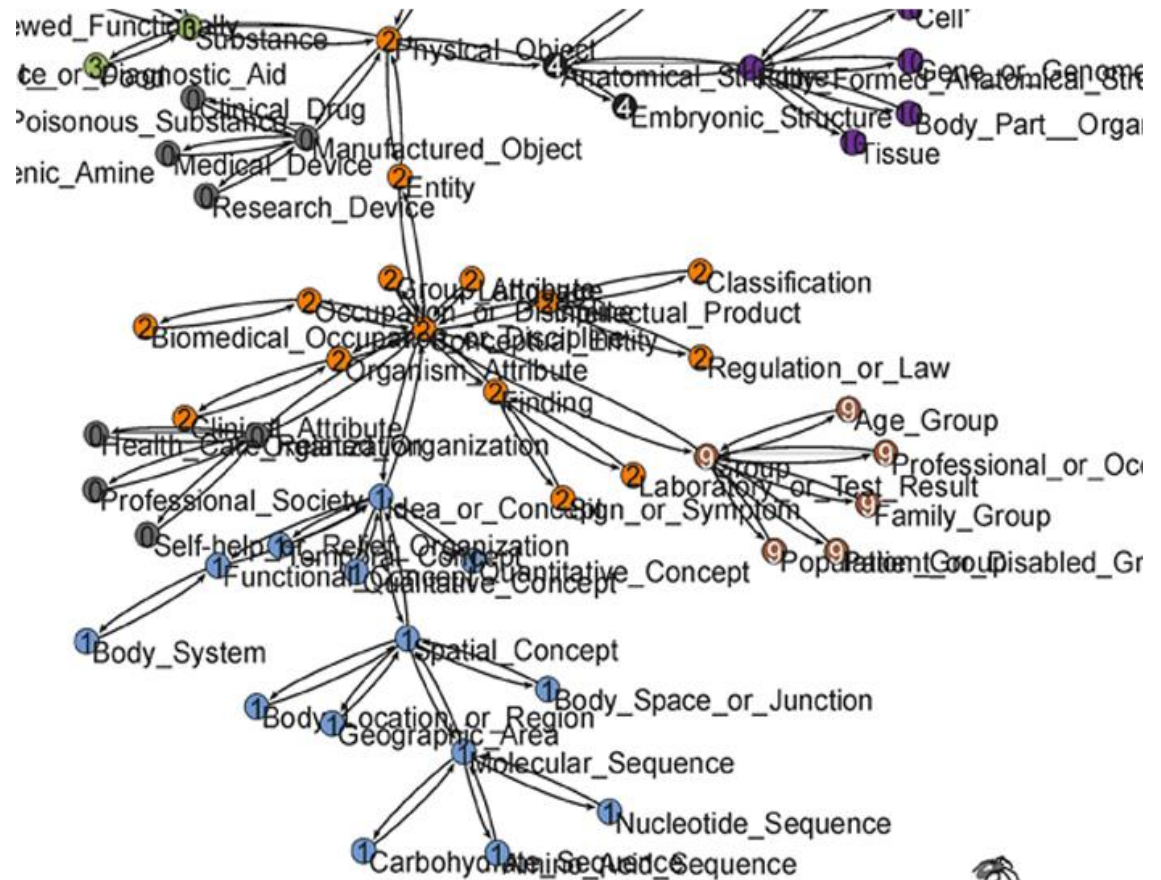


- 3. Chemical
- 5. Organic chemical
- 8. Biologically Active Substance



- 4. Anatomical Structure
- 6. Vertebrate
- 7. Organism
- 10. Fully Formed Anatomical Structure

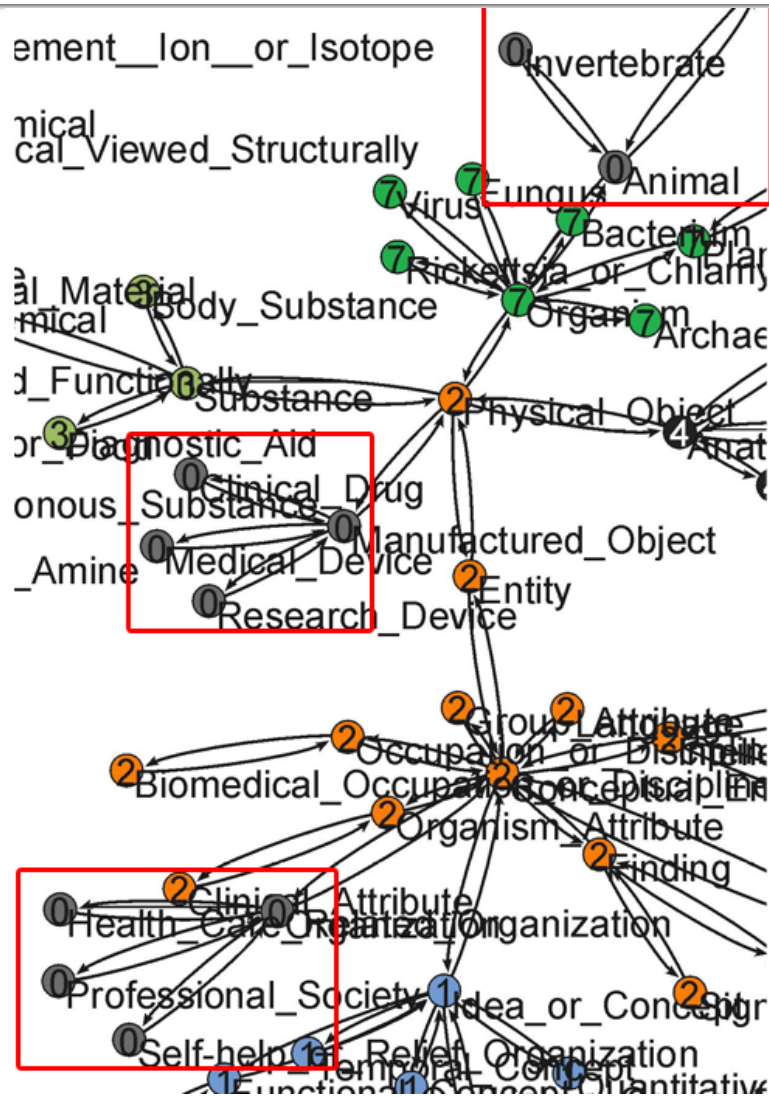
- 1. Idea or Concept
- 2. Entity
- 9. Group



Isolated concepts

- Islands $\alpha(c)=i$
- If $\alpha(c)=o$ - concept can be assigned to any module
- this situation may happen when nodes cannot be assigned to islands – these concepts are known as isolated (unassigned) concepts

10 isolated concepts

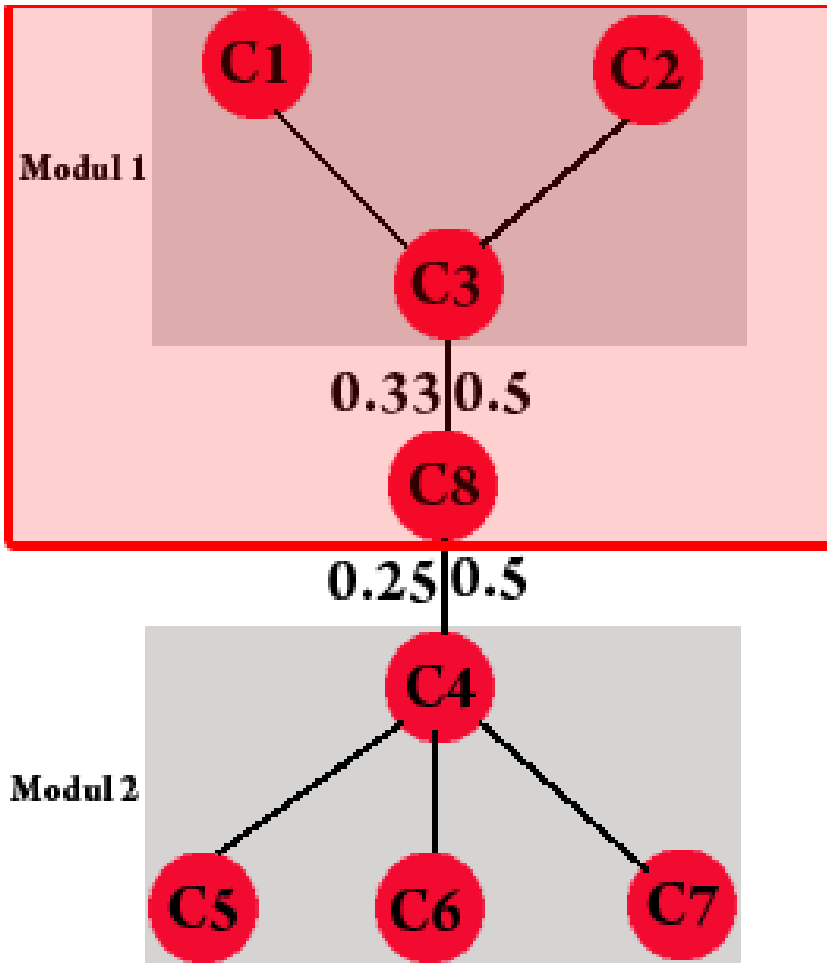


- 4 nodes related with Organizations
- 4 nodes related with Manufactured Object
- 2 nodes related with Animal and Invertebrate

Optimization of partition – assign isolated concepts

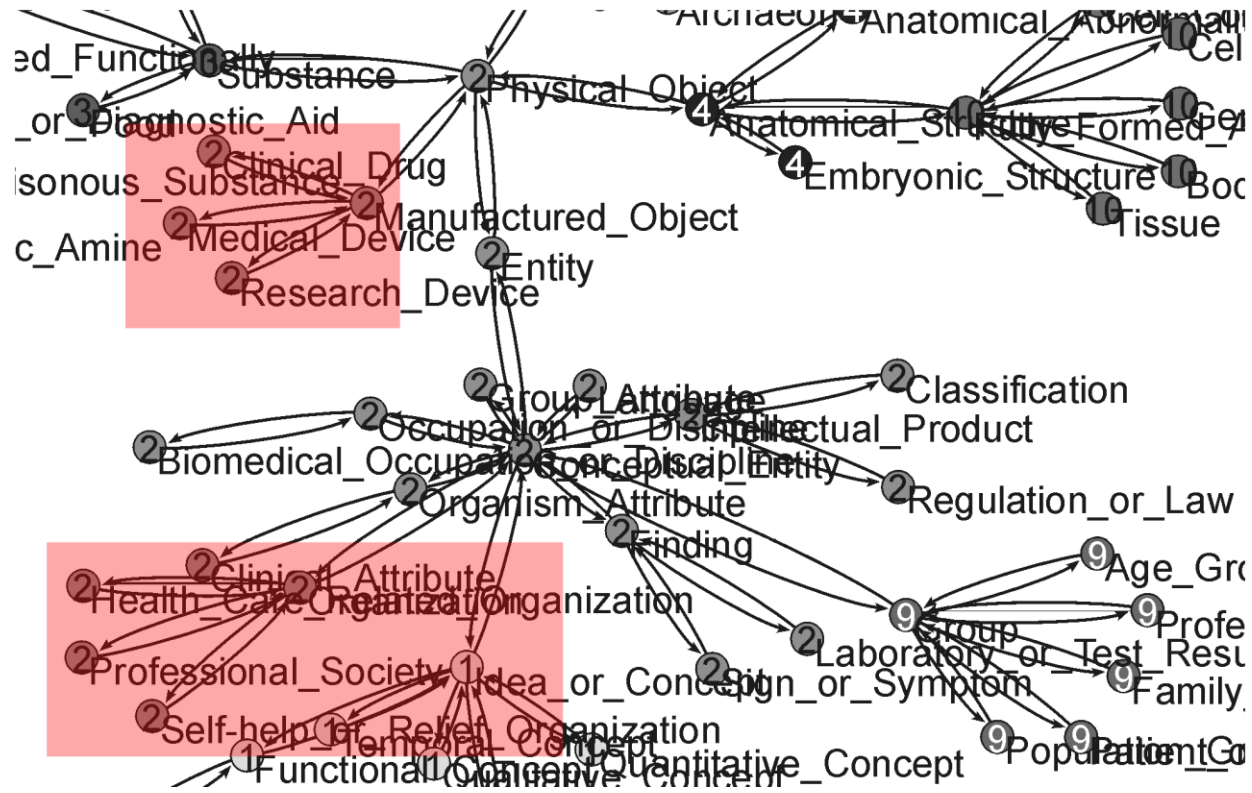
- Leftover nodes can occur in different places in the graph
- Isolated nodes are assigned to other nodes – the assignement is based on the strength of relations to nodes, that are already assigned to an existing module – the nodes are assigned to the Island of a neighboring node which has the strongest relations among all neighboring nodes around the isolated nodes

General example of assignment isolated nodes



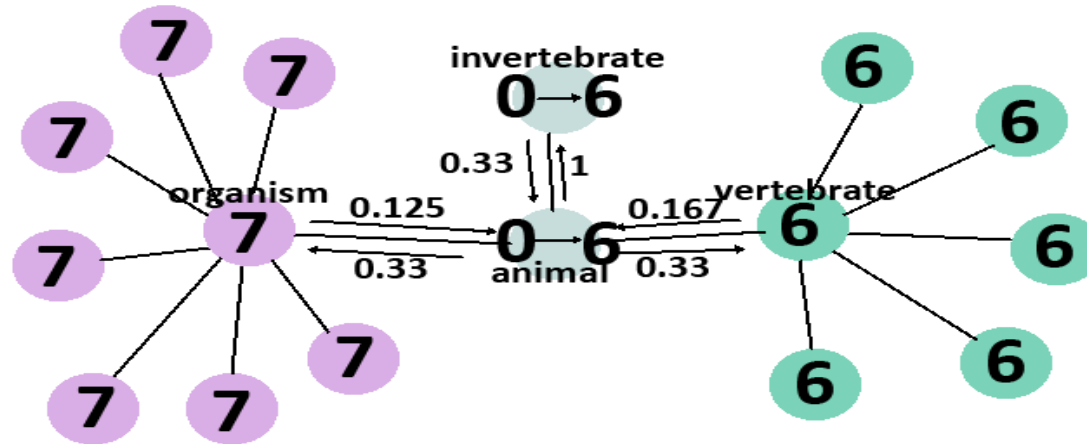
- $C_3 \rightarrow C_8 \dots 0.33 \cdot 0.5 = 0.165$
- $C_4 \rightarrow C_8 \dots 0.25 \cdot 0.5 = 0.125$

The assignment of 10 isolated concepts



- 4 nodes related with Organizations are assigned to module 2
- 4 nodes related with Manufactured Object are assigned to module 2 too

The assignment of 10 isolated concepts



- 2 nodes related with Animal and Invertebrate are assigned to module 6
- calculation:
 - $0.167 + 0.33 > 0.125 + 0.33$

Evaluation of an algorithm

- Main problem - necessary to determine the size of modules (upper and lower limit) – bad choice of the bound leads to high number of unassigned nodes – after the assignement leftover nodes – quite large modules with little internal coherence
- Iterative algorithm can eliminate this issue

Iterative algorithm

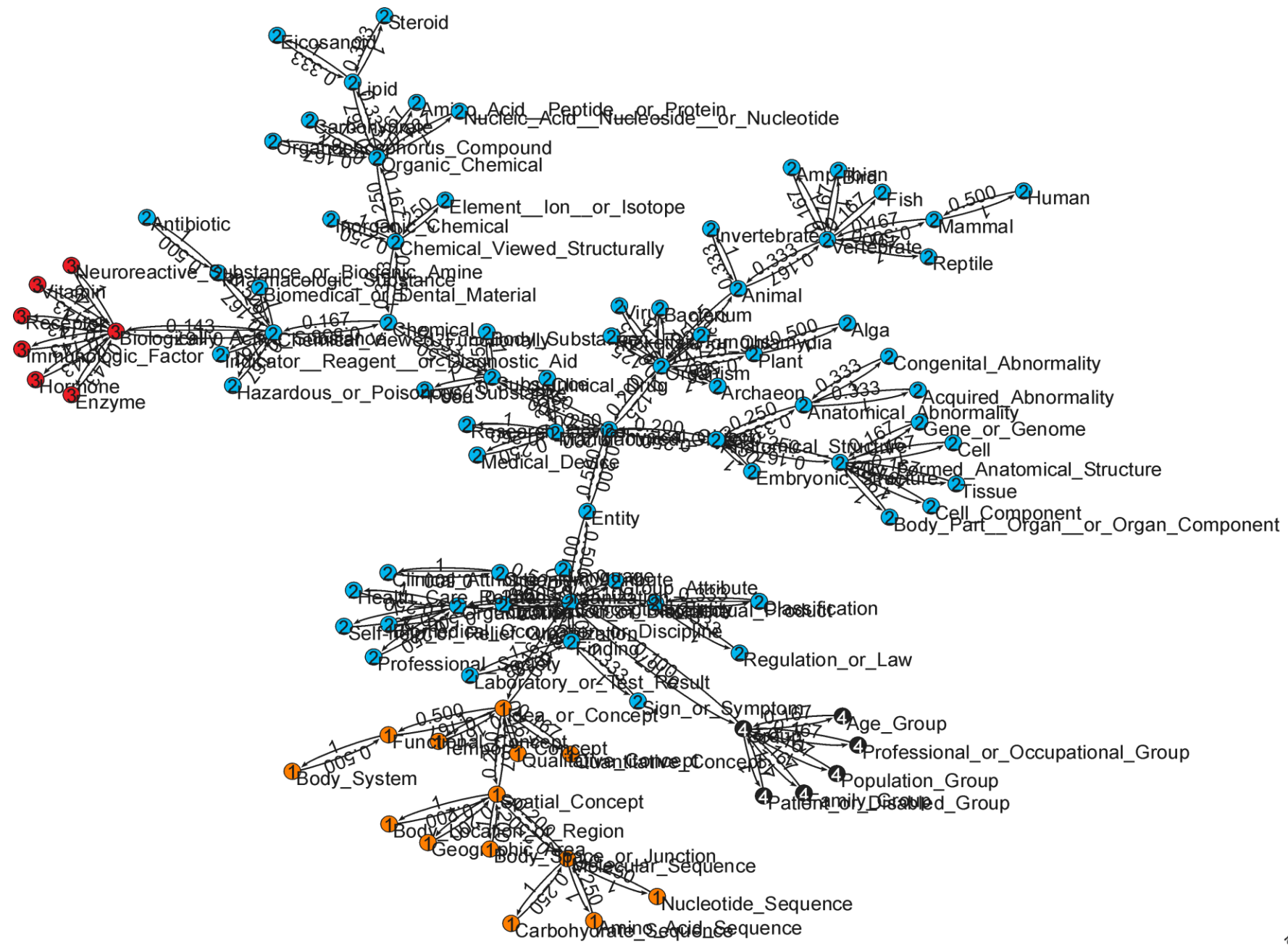
- Idea – is not to prescribe the size of modules
- To set the lower bound to 1 and the upper to $s-1$,
 s – size of the complete ontology
- Choosing a limit that is just one below the size of complete ontology does not further restrict the selection of islands – this way – the most natural grouping of concepts
- But – it can happen that nodes cannot be assigned to Islands
- the result – Islands differ in size, often large modules that cover most of the ontology – therefore - iteratively apply the algorithm

Example of Iterative algorithm

- The first step – to determine the upper limit of 20 for the size of modules
- The module is relatively small therefore the algorithm only needs three iterations

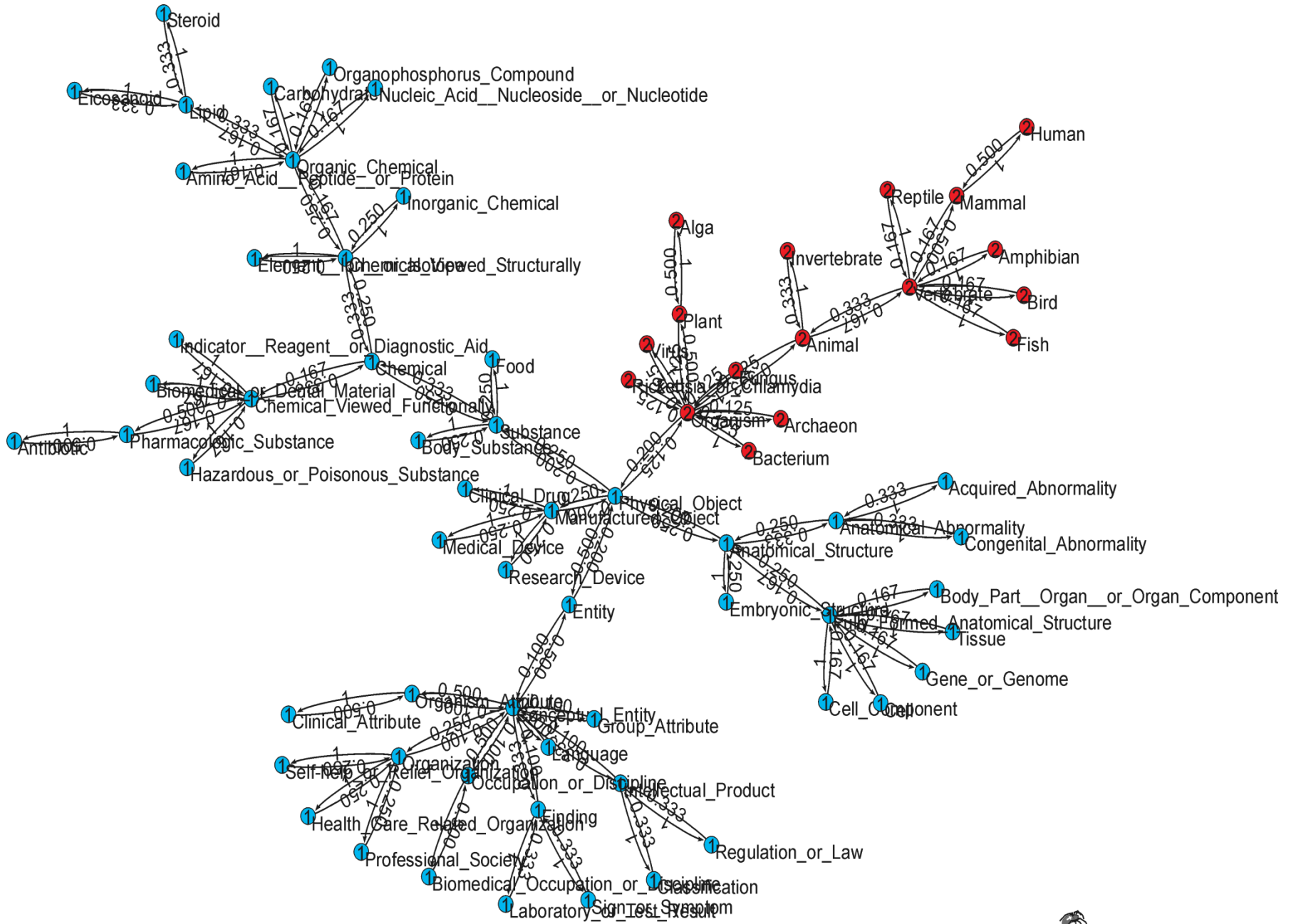
First iteration

- The algorithm generates only four modules
- Three of them are smaller than determined limit (20)
- Modules
 - Biological active substance
 - Idea or Concept
 - Different Age Group
 - Leftover part of ontology represents large module
- Module Biological active substance could be included in a larger module
- The other two contain concepts that are related and sufficiently different from other concepts



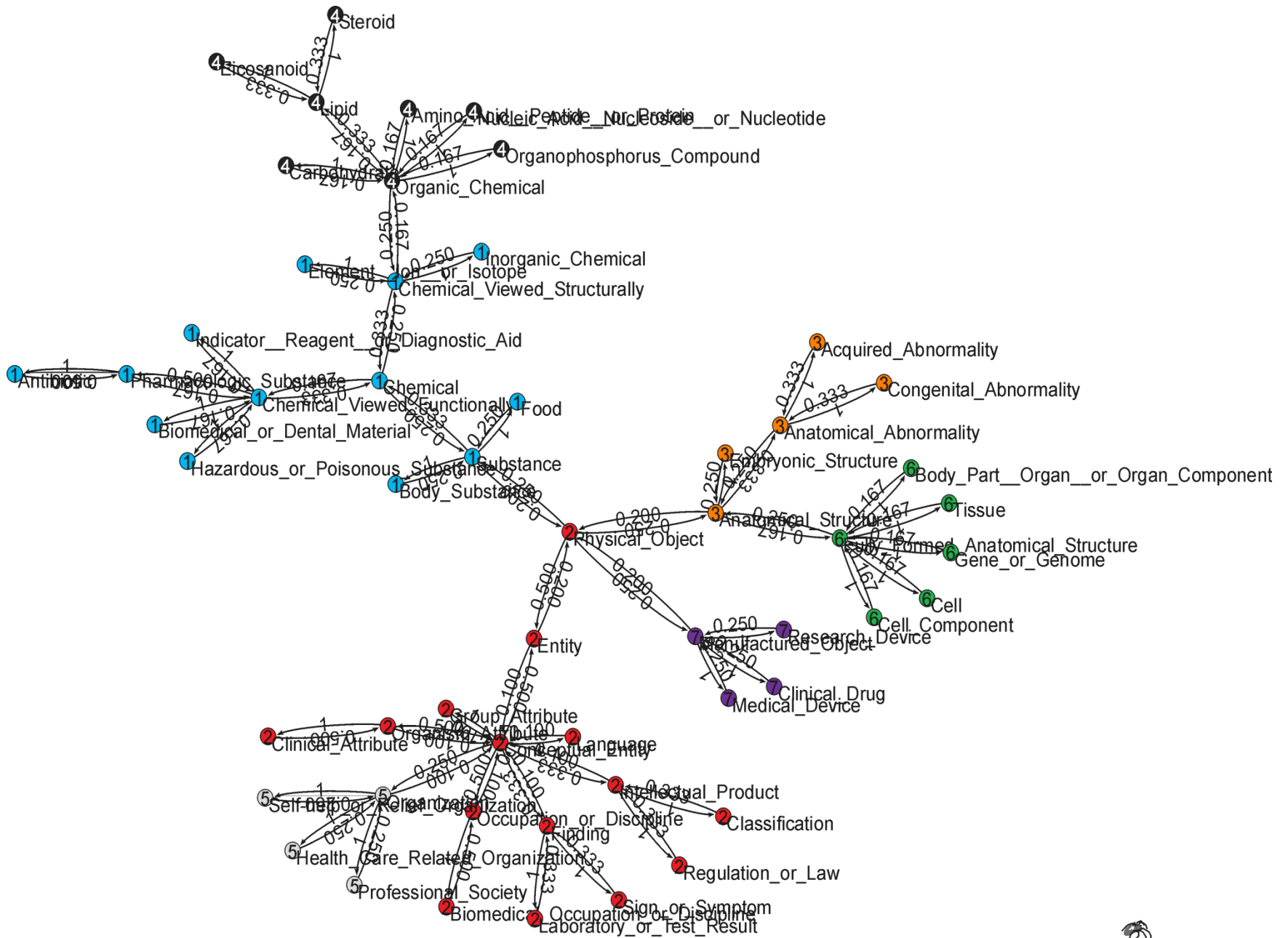
Second iteration

- After removing the modules found in the first step, the algorithm generates new module Organism



Third iteration

- produces a partition of the remaining concepts into Islands – all of the required size – ending the iteration
- Result – seven modules
 - Entity
 - Organization
 - Device
 - Anatomical Structure
 - Fully Formed Anatomical Structure
 - Substance
 - Organic Chemical



Result of iteration algorithm

- Most of these modules make sense
- Only two modules are arguable
 - Separation of Fully Formed Anatomical Structures from Anatomical Structures
 - Separation of Organic Chemical from Substance

Conclusion

- Algorithm generates modules, that fulfill our expectations to a certain extent
- Sometimes subtrees, that could be considered to form one module are further split, even if subtree does not exceed the upper size limit
- In spite of the fact that iterative algorithm doesn't require determination of the upper limit of module, generated modules may become too small to reflect the real world

The future work

- The aim
 - Elimination of possible mistakes
 - Optimization of algorithm of decomposition method

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Thank for your attention